

Voltage divider (4)

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$$i = G \cdot U$$

$$GU = i - GE$$

→ Series

$$U_{R_1} = R_1 \cdot i \\ i = \frac{U}{R_{\text{eq}}}$$

$$\Rightarrow U_{R_1} = \frac{R_1}{\sum_{m=1}^m R_k} \cdot U = \frac{R_1}{\sum_{m=1}^m R_k} \cdot U$$

$$U_{R_h} = \frac{\frac{R_h}{\sum_{h=1}^m R_h}}{U}$$

→ Parallel

$$\frac{U}{R_{\text{eq}}} = \frac{U}{R_1} + \frac{U}{R_2} + \dots + \frac{U}{R_m} \Rightarrow R_{\text{eq},P} = \frac{1}{\sum_{k=1}^m \frac{1}{R_k}}$$

Current divider (5)

$$i = \frac{U}{R_1} = \frac{i \cdot R_{\text{eq}}}{R_1} = \frac{i}{R_1} \cdot \frac{1}{\sum_{h=1}^m \frac{1}{R_h}} \Rightarrow$$

$$i_h = i \cdot \frac{1}{R_h \cdot \sum_{h=1}^m \frac{1}{R_h}}$$

$$U = R_1 i_1 = R_2 i_2 = i \cdot \frac{R_1 R_2}{R_1 + R_2}$$

$$i_2 = \frac{i R_1}{R_1 + R_2}$$

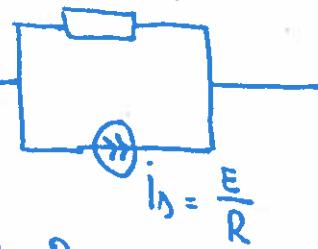
$$i_1 = \frac{i R_2}{R_1 + R_2}$$

Theorem of equivalent transformation (7)

1). Series

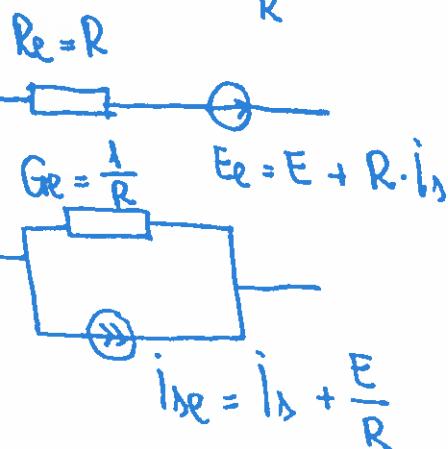
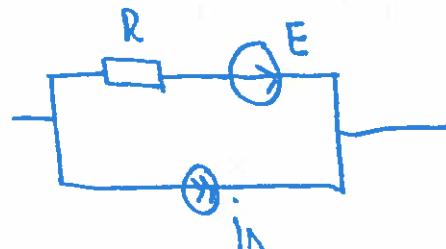


$$G = \frac{1}{R}$$



$$i_s = \frac{E}{R}$$

2).



$$i_{BE} = i_d + \frac{E}{R}$$

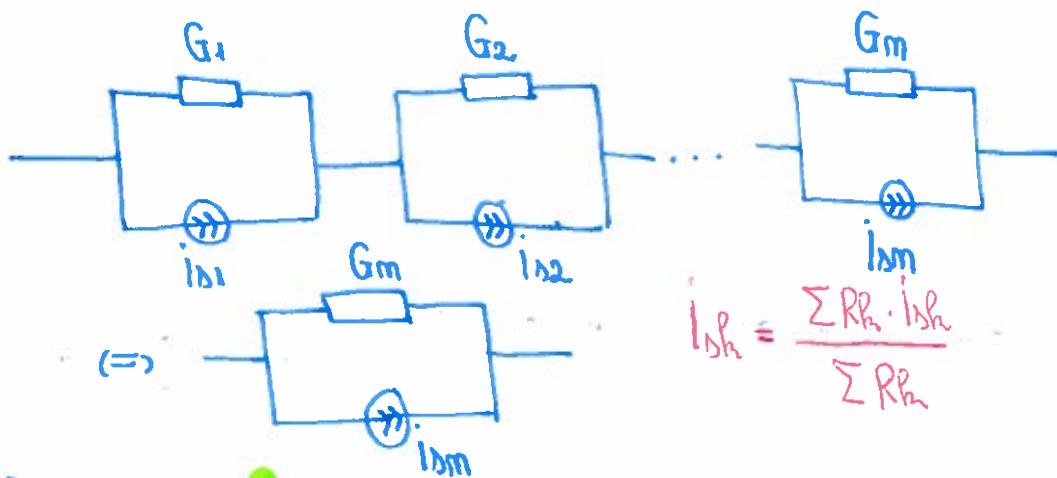
$$R_E = R \quad E_E = E + R \cdot i_d$$

$$G_E = \frac{1}{R}$$

3.a).

$$R_e = \sum_{h=1}^m R_h \quad E_e = \sum_{h=1}^m E_h$$

b).



Kirchoff Theorems

$\rightarrow \int T_1 : \sum_{h=1}^m i_h = 0 \rightarrow \left\{ \begin{array}{l} + \text{ exit} \\ - \text{ enter} \end{array} \right. \rightarrow \left\{ \begin{array}{l} N \text{ meshes} \\ \Rightarrow (N-1) \text{ times} \end{array} \right.$

\rightarrow consequence of electric charge conservation app. closed surf. Σ
 $"+" \vec{n} = \vec{n} \rightarrow$ surface the outward one

$\xrightarrow{T_2} \sum V_h = 0 \Leftrightarrow \sum R_h i_h = \sum E_h$

\rightarrow In case current sources, K₂ will contain the voltage due
 \rightarrow K₂ = conseq. of law of electric conduction / Faraday's law
 referring to the electromotive force along a closed path under

Theorem of Power Conservation

It says that the total electric power generated by all voltage, respectively current sources of the circuit, is equal to the total electric power used by the passive elements (resistor).

$$P_{\text{gen}} = P_{\text{rec}}$$

$$P_{\text{gen}} = \sum_{k=1}^m (E_k i_k + U_{sk} i_{sk})$$

$$\sum R_k \cdot i_k^2 = \sum E_k i_k + U_{sk} i_{sk}$$

The total power (exchanged power) at the level of a closed ideal circuit is 0.

$$P = P_{\text{gen}} - P_{\text{rec}} = 0$$

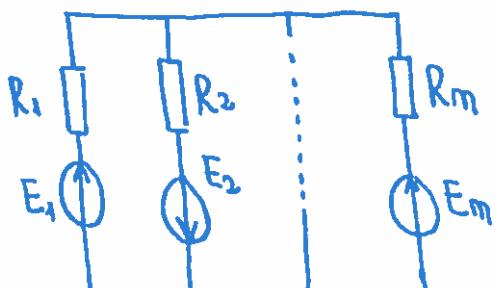
Theorem of the maximum power transfer

$$P = R_2 i_2^2 = \frac{E^2 R_2}{(R_2 + R_i)^2}$$

To find the maximum power differentiate the above expression with respect to resistance R_2 and equate it to zero.

$$\frac{dP}{dR_2} = 0 \Rightarrow R_2 = R_i$$

4a).



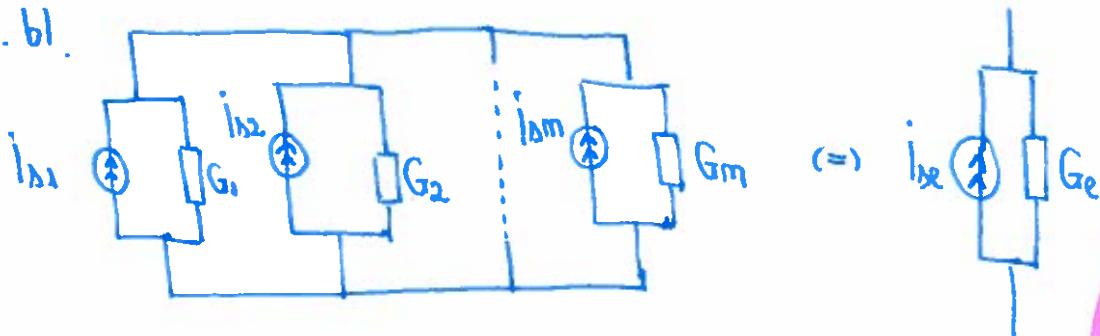
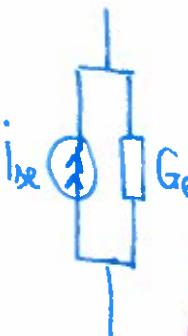
(=)



$$E_e = \frac{\sum E_h G_h}{\sum G_h}$$

$$R_e = \frac{1}{\sum_{h=1}^m \frac{1}{R_h}}$$

4. bl.

 \Leftrightarrow 

$$G_e = \sum G_h$$

$$i_{BE} = \sum_{h=1}^m i_{sh} \text{ alg.}$$